

DDC, a performance portable library abstracting Computation on Discrete Domains

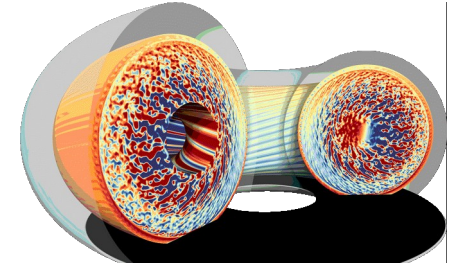
Thomas Padioleau¹, Julien Bigot¹, Baptiste Legouix²

1. Maison de la Simulation, CEA Paris-Saclay
2. IRFM, CEA Cadarache

This work was supported by ANR PIA funding: ANR-20-IDEES-0002

What is GYSELA ? – Physics

- Plasma physics for nuclear fusion
- Study core turbulence in tokamaks
- Distribution function $f_s(x,v,t)$ for each species s
- Solves Vlasov-Poisson equations (7D) in the gyrokinetic approximation (6D)





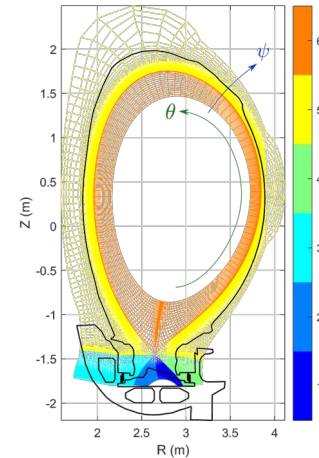
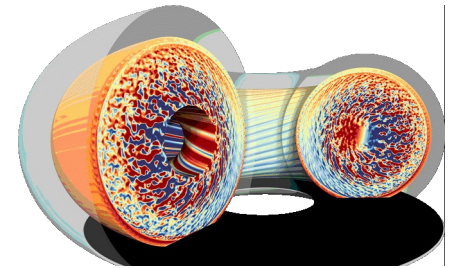
What is GYSELA ? – Software

- \approx 25 years old Fortran 90 code (\approx 40 kLOC) developed by a team at CEA/DRF/IRFM
- Distributed memory parallelism : MPI
- Shared memory parallelism : OpenMP
- Fine tuned for (Intel) CPUs
- Efficient simulations on 100K cores, 100M CPU hours

Goals

Rework GYSELA to:

- Prepare the Exascale
 - Multi vendor GPU (attempt with OpenMP target)
 - ARM A64FX
- Handle complex geometry: realistic tokamak
- Handle multiple (and different)
 - Discretizations
 - Domain decompositions





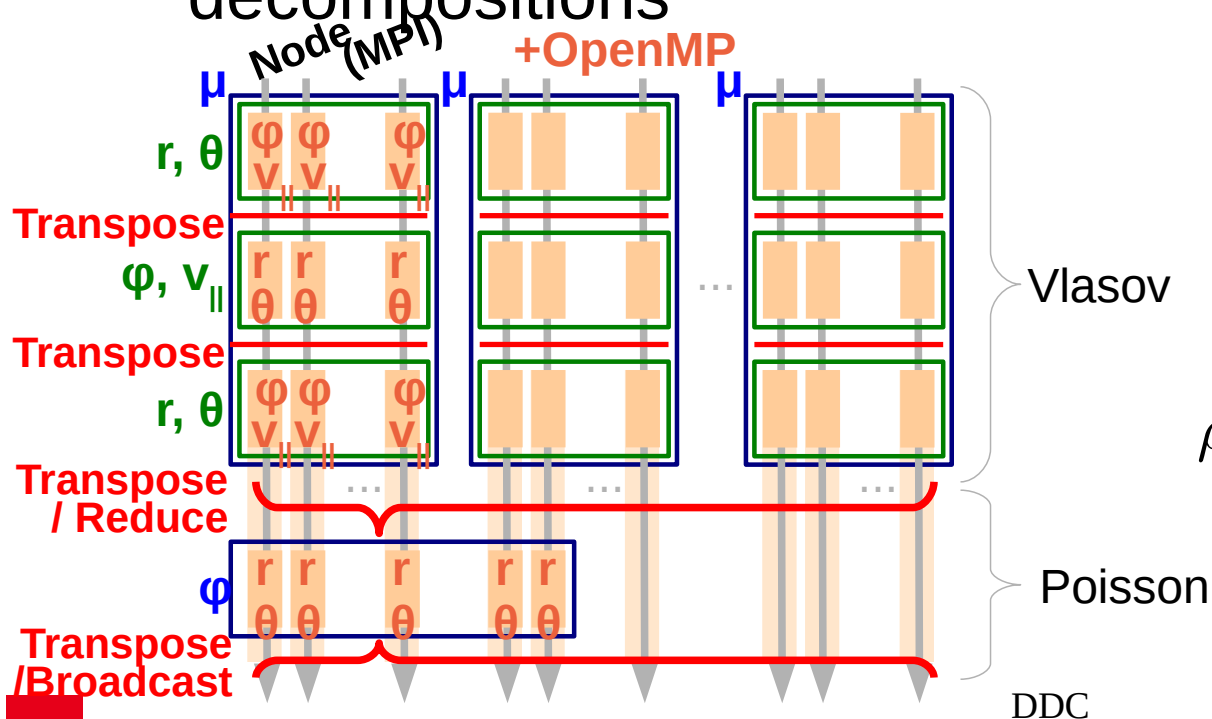
Implicits – Arrays

- Multiple representations of the distribution function
 - Spline representation
 - Fourier representation
 - Pointwise representation
- Multiple meshes
 - Uniform
 - Non-uniform

Implicits – Evolving domain decomposition

- Multiple MPI domain decompositions

- Multiple dimensionnalities



- Distribution function


$$f_s(r, \theta, \phi, v_{\parallel}, \mu, t)$$

- Charge density

$$\rho(r, \theta, \phi, t) = \int q_s f_s(r, \theta, \phi, \dots, t)$$

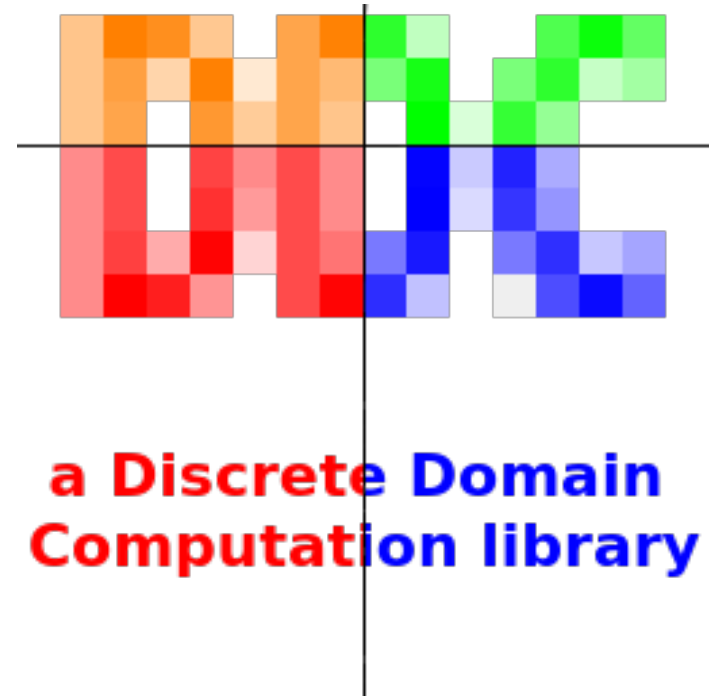


Implicit

- An index is... an int, no context:
 - From what discretization ?
 - From what decomposition ?
 - With a halo zone ?
 - ...
 - Information about these using global variables
-  ~~Impossible~~ Difficult to change the code
Discrete abstraction : DDC

What is DDC ?

- Started in May 2021 with *Julien Bigot*
- Inspired by the python library xarray that uses labeled dimensions
- C++17 library supporting « zero-overhead » dimension labeling for multi-dimensional arrays and performance-portable multi-dimensional algorithms
- Based on Kokkos





Core concepts: `ddc::DiscreteDomain`

- For each new (discrete) dimension : create a tag
 - `class DDim0, class DDim1, ...`
- A (discrete) dimension is identified by a type
 - `DiscreteDomain<DDim0>, DiscreteDomain<DDim1>, ...`
- Multi-dimensional domain:
 - `DiscreteDomain<DDim0, DDim1>`



Core concepts: `ddc::DiscreteElement`

- An instance of this type is a multi-dimensional range, an interval of `DiscreteElement`
 - `DiscreteDomain<DDim0> dim0_dom = ... ;`
 - `for (DiscreteElement<DDim0> const& dim0_elem : dim0_dom) { ... }`
- Difference between two `DiscreteElement` is a `DiscreteVector`
- Possibility to associate static constant attributes to `DiscreteElement` or a whole dimension
 - `DiscreteElement<DDim0> dim0_elem;`
 - `get_constant_data_from(dim0_elem);`
 - `get_other_constant_from<DiscreteDomain<DDim0>>();`



Containers: ddc::Chunk, ddc::ChunkSpan

- Associates DiscreteElement to a value
 - `Chunk<double, DiscreteDomain<DDim0, DDim1>> d01_chk("label", dim01_dom);`
 - `d01_chk(dim01_elem) = 99.9;`
- Slicing feature
 - `ChunkSpan<double, DiscreteDomain<DDim1>> d1_chk = d01_chk[dim0_elem];`
 - `ChunkSpan<double, DiscreteDomain<DDim0, DDim1>> d01_chk2 = d01_chk[dim0_dom];`
- Similar to `std::mdspan` and `Kokkos::View`
- Let `dim0_elem` be a `DiscreteElement<DDim0>`, `dim1_elem` a `DiscreteElement<DDim1>`, `dim01_elem` a `DiscreteElement<DDim0, DDim1>`
 - `d01_chk(dim0_elem, dim1_elem)` ✓
 - `d01_chk(dim1_elem, dim0_elem)` ✓
 - `d01_chk(dim01_elem)` ✓
 - `d01_chk(dim0_elem, dim0_elem)` ✗, detected at compile-time



Core concepts: discretizations

- Discretization: generator of discrete dimensions
- DDC provides some discretizations
 - UniformPointSampling/
NonUniformPointSampling
 - PeriodicSampling
 - UniformBSplines/NonUniformBSplines
- Users can provide their own discretizations
- Create a tag for the continuous dim
 - `class CDim0;`
- Define the Discrete dimension tag based on this
 - `using DDim0 =
UniformPointSampling<CDim0>;`
 - `DiscreteDomain<DDim0>`
- Use discretization attributes:
 - `DiscreteElement<DDim0> dim0_elem;`
 - `coordinate(dim0_elem) → double;`



Multi-dimensional algorithms

- Iteration over DiscreteElement:
 - **for_each**, similar to **Kokkos::parallel_for**
 - **transform_reduce**, similar to **Kokkos::parallel_reduce**
 - **fill** and **deepcopy**, similar to **Kokkos::deep_copy**
- Conversion of discrete dimensions:
 - $\text{ChunkSpan}\langle T, \text{InputDiscreteDomain} \rangle \rightarrow \text{ChunkSpan}\langle U, \text{OutputDiscreteDomain} \rangle$
 - Discrete Fourier transform (FFT)
 - Spline transform (linear system)
- Performance portability is achieved through different libraries :
 - Kokkos, Ginkgo, cufft, hipfft, fftw



What DDC is *not* ?

- No math nor physics related operators :
 - No advection equation solver
 - No Poisson equation solver
- Not a mesh generation/partitioning library



Heat equation example – Discretization

```
struct X; struct Y; struct T;

using DDimX = UniformPointSampling<X>; using DDimY = UniformPointSampling<Y>; using DDimT = UniformPointSampling<T>;

auto [x_domain, ghosted_x_domain, x_pre_ghost, x_post_ghost]
    = init_discrete_space(DDimX::init_ghosted(Coordinate<X>(x_start), Coordinate<X>(x_end), DiscreteVector<DDimX>(nb_x_points), gwx));

auto [y_domain, ghosted_y_domain, y_pre_ghost, y_post_ghost]
    = init_discrete_space(DDimY::init_ghosted(Coordinate<Y>(x_start), Coordinate<Y>(x_end), DiscreteVector<DDimY>(nb_y_points), gwy));

DiscreteDomain<DDimT> time_domain
    = init_discrete_space(DDimT::init(Coordinate<T>(start_time), Coordinate<T>(end_time), nb_time_steps + 1));
```

Heat equation example – Memory allocation



```
Chunk ghosted_last_temp(DiscreteDomain(ghosted_x_domain, ghosted_y_domain),
                        device_allocator<double>());

Chunk ghosted_next_temp(DiscreteDomain(ghosted_x_domain, ghosted_y_domain),
                        device_allocator<double>());
```

Taking advantage of the C++17 CTAD feature
Greatly simplifies the syntax

Heat equation example – Time loop

```
for (auto iter : time_domain) {
    std::cout << "Current time: " << coordinate(iter) << std::endl;
    deepcopy(ghosted_last_temp[x_pre_ghost][y_domain], ghosted_last_temp[y_domain][x_domain_end]);
    // other boundaries...

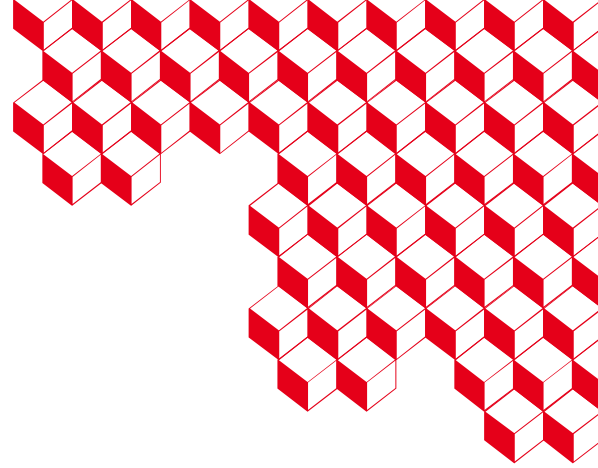
    ChunkSpan next_temp = ghosted_next_temp[x_domain][y_domain];
    double dx = step<DDimX>(), dy = step<DDimY>();
    double dt = distance_at_left(iter);
    for_each(policies::parallel_device, next_temp.domain(), KOKKOS_LAMBDA(DiscreteElement<DDimX, DDimY> ixy) {
        auto ix = select<DDimX>(ixy);
        auto iy = select<DDimY>(ixy);
        next_temp(ix, iy) = last_temp(ix, iy);
        next_temp(ix, iy) += (kx * dt / (dx * dx)) * (last_temp(ix + 1, iy) - 2.0 * last_temp(ix, iy) + last_temp(ix - 1, iy));
        next_temp(ix, iy) += (ky * dt / (dy * dy)) * (last_temp(ix, iy + 1) - 2.0 * last_temp(ix, iy) + last_temp(ix, iy - 1));
    });
}
```

« Simple » implementation with type safety from DDC



Conclusion

- Some of the implicits have been tackled by introducing compile-time labeled dimensions
- Future directions for DDC ?
 - Allow nested calls of algorithms
 - PGAS-like for MPI
 - DDC-based application would not call MPI
 - ask for a change of domain decomposition
 - Enrich the set of discretizations
 - Study performance/potential overheads



Thank you for your attention!

Github DDC: <https://github.com/CExA-project/ddc>

Slack : <https://ddc-lib.slack.com>

DDC website : <https://ddc.mdls.fr>

Github Gyselalibxx: <https://github.com/gyselax/gyselalibxx>

